



FORCES AND MOMENTS ON A PROVING RING

CALIBRATION OF PROVING RING

- Aim of the Experiment: To calibrate the given proven ring by applying compressive force by U.T.M (universal testing machine)

- Experimental Apparatus:

- Proving Ring
- Dial gauge
- Universal Testing Machine
- Scale.

- Theory: Deflection:
$$\delta = \frac{PR\pi}{2EA} + \frac{PR\pi}{2GA} + \frac{0.3PR^3}{EI}$$

P = load

R = Mean Radius

E = Young's Modulus of elasticity

A = Area of cross-section

I = Inertia of area of cross-section

G = Modulus of rigidity.

- Applications:

- Proving ring is used in sensing applications.
- It can be also used as a device for calibration of force measuring dial gauges.

● Observations:

$$a = \frac{8.68 + 8.72 + 9.08}{3} \text{ mm} = \underline{8.83 \text{ mm}} ; \quad b = \frac{28.24 + 28.30 + 28.34}{3} \text{ mm} = \underline{28.29 \text{ mm}}$$

least count of dial gauge = 0.001 mm

Sr. No.	LOAD 2P (in kg)	LOAD 2P (in N)	DEFLECTION (Div)		DEFLECTION (m) $\times 10^{-6}$		DEFLECTION THEORETICAL ($\mu\text{m/m}$)
			loading	unloading	loading	unloading	
1.	2.2	21.56	6	0	6	0	5.844
2.	3.0	29.40	8	0	8	0	7.9690
3.	3.3	32.34	9.2	0	9.2	0	8.766
4.	4.3	42.14	11.5	11.5	11.5	11.5	11.420
5.	5.5	53.90	16	16	16	16	14.610
6.	6.1	59.78	18	0	18	0	16.200

$$R = \frac{16.4 + 16.3 + 18.0 + 17.9}{4} = \underline{17.15 \text{ cm}}$$

E for stainless steel = 180 GPa

G for stainless steel = 77.2 GPa

$$A = a \times b = \underline{249.8 \times 10^{-6} \text{ m}^2}$$

$$\therefore I = \frac{1}{12} a^3 b = \frac{1}{12} \times (8.83)^3 \times (28.29) \times 10^{-12} \text{ m}^4 = \underline{1.623 \times 10^{-9} \text{ m}^4}$$

● Calculations:

$$\delta = \frac{PR\pi}{2EA} + \frac{PR\pi}{2GA} + \frac{0.3PR^3}{EI}$$

For $P = 29.4/2 \text{ N} = 14.7 \text{ N}$, (reading number (2))

$$\delta = 14.7 \times \left(\frac{171.5\pi}{2 \times 180 \times 249.8 \times 10^{-6}} + \frac{171.5\pi}{2 \times 77.2 \times 249.8 \times 10^{-6}} + \frac{0.3 \times (171.5)^3}{180 \times 1.623 \times 10^{-9}} \right) \mu\text{m}$$

$$\Rightarrow \boxed{\delta = 7.969 \mu\text{m}}$$

similarly, δ is calculated for other values.

$$P = K\delta$$

$$\Rightarrow \boxed{K = 3.034 \times 10^6 \frac{\text{N}}{\text{m}}}$$

• Results:

- From the graph between load and deflection, the slope is found to be $3.103 \text{ N}/\mu\text{m}$ ($3.103 \times 10^6 \text{ N/m}$) which is very close to the calculated value of $3.034 \times 10^6 \text{ N/m}$

• Discussion:

- The observed values of deflection for the loads came very close to real/calculated values.
- The slope from graph comes very near to calculated factor
- Calibration factor shows the sensitivity of proving ring.
- This experiment shows us the sensing applications of proving ring.
- As we deform the ring in elastic region, our graph comes to be linear.
- The slope of the graph is called the calibration factor.

Relevant graphs on next page

8/9/16

EXPT.

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LOAD VS DEFLECTION GRAPH

SCALE: On x axis, 1 cm = 1 μ m
 On y axis, 1 cm = 2 N

